Improved Fisher Vector for Large Scale Image Classification

# XRCE's participation for ILSVRC

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#### Overview

- Fisher Vector
- Improved FV + results on VOC 07
- Compression
- Classification
- Results on VOC2010 & ILSVRC2010



## **Fisher Vector**

- Exploiting Generative Models in discriminative classifiers [Jaakkola & Haussler 1999]
- Feature vector is derivative wrt probabilistic model
- Measure Similarity using the Fisher Kernel

 $K(X,Y)=G_{\lambda}^{X'}F_{\lambda}^{-1}G_{\lambda}^{Y}$ 

• Fisher Information Matrix

 $F_{\lambda} = E_{x \sim u_{\lambda}} \left[ \nabla_{\lambda} \log u_{\lambda}(x) \nabla_{\lambda} \log u_{\lambda}(x)' \right]$ 

• Learning a classifier on Fisher Kernel equals learning a linear classifier on  $\mathcal{G}_{\lambda}^{X} = L_{\lambda} \mathcal{G}_{\lambda}^{X}$  with  $F_{\lambda} = L'_{\lambda} L_{\lambda}$ 



# Fisher Vector (2)

- Fisher Kernels on visual vocabularies for image categorization [Perronnin & Dance 2007]
- $X = \{x_t, t = 1 \dots T\}$  D-dimensional local features from an image

• GMM:

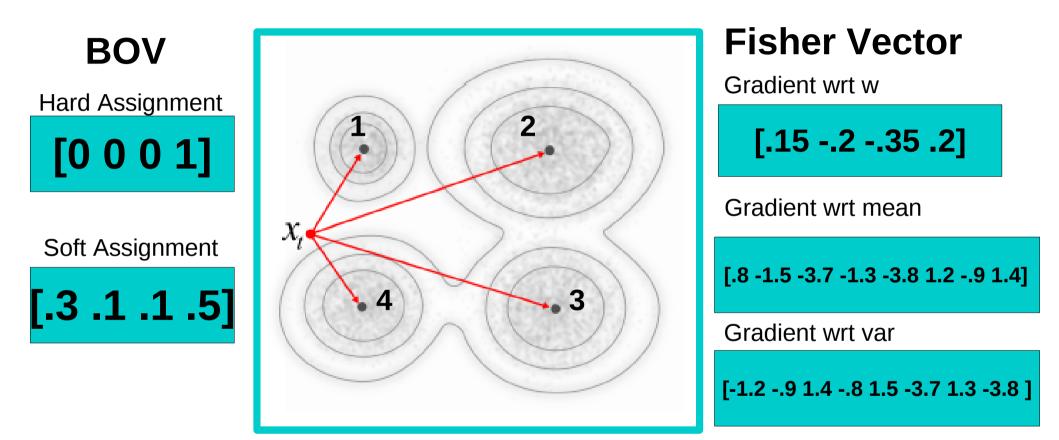
$$u_{\lambda}(x) = \sum_{i=1}^{K} w_i u_i(x)$$

• Gradient:

$$\mathcal{G}_{\mu,i}^{X} = \frac{1}{T\sqrt{w_i}} \sum_{t=1}^{T} \gamma_t(i) \left(\frac{x_t - \mu_i}{\sigma_i}\right),$$
$$\mathcal{G}_{\sigma,i}^{X} = \frac{1}{T\sqrt{2w_i}} \sum_{t=1}^{T} \gamma_t(i) \left[\frac{(x_t - \mu_i)^2}{\sigma_i^2} - 1\right],$$



# Fisher Vector (3)



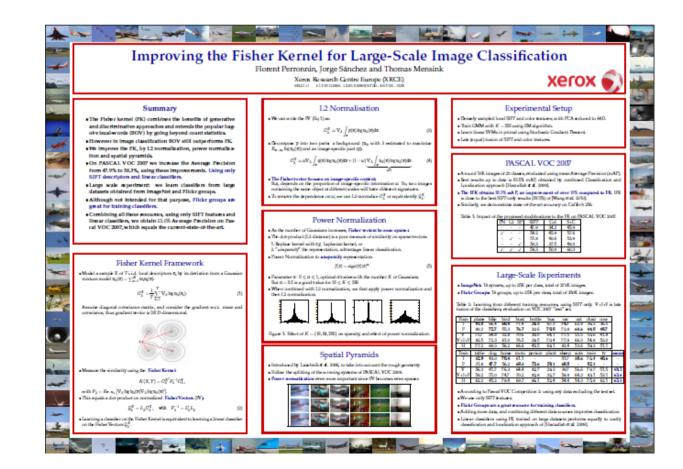
BOV Histogram has size: K Fisher Vector (wrt to mean and var): 2 \* D \* K

\* the numbers are only for illustrative purpose



# Improving the Fisher Vector

- L2 Normalization
- Power Normalization
- Spatial Pyramid Matching





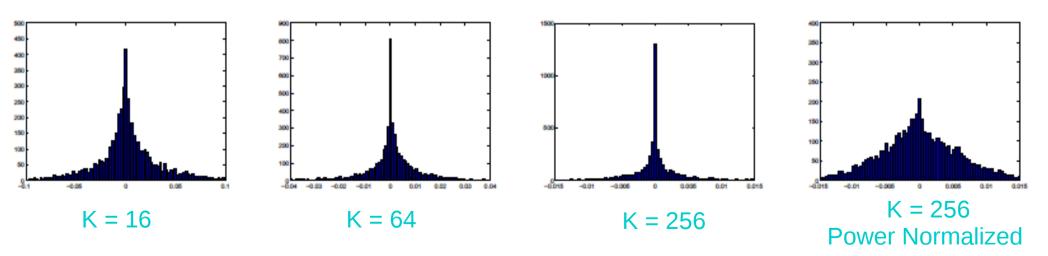
# L2 Normalization

- By construction the Fisher Vector discards descriptors which are likely to occur in any image
- The FV focus on image specific features
- However, the FV depends on the amount of image specific information / background information
  - 2 images with same object on a different scale will have a different feature vector
- L2 Normalization to remove this dependence



#### **Power Normalization**

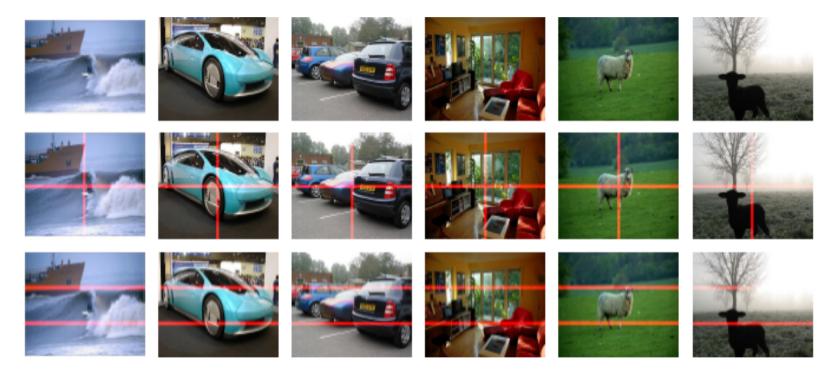
- As the number of Gaussians increase, the FV becomes sparser
  - Replace dot-product with other kernel
  - Unsparsify the representation
- Power normalization to unsparsify:  $f(z) = \operatorname{sign}(z)|z|^{\alpha}$





# **Spatial Pyramids**

• Take rough geometry into account [Lazebnik 2006]



Power normalization becomes even more important (FV is sparser)



#### Experiments VOC 2007

- Improved Fisher Vector [ECCV 2010]
- Dense multiscale sampling, PCA, K=256
- Linear SVM

PN	L2	SP	SIFT	Col	S+C
-	-	-	47.9	34.2	45.9
$\checkmark$	-	-	54.2	45.9	57.6
-	$\checkmark$	-	51.8	40.6	53.9
-	-	$\checkmark$	50.3	37.5	49.0
$\checkmark$	$\checkmark$	$\checkmark$	58.3	50.9	60.3



# Experiments VOC 2007 (2)

- Improved Fisher Vector [ECCV 2010]
- Larger Scale
  - Flickr Group Images
  - Up to 25k per class / 350k in total
  - Late fusion with VOC07 trainset
  - 63.3% (SIFT only)
- Best results 63.5% Localization and Classification [Harzallah et al. 2009]
- Flickr Groups are a great resource for labelled images
  - No additional labelling used!
- More training data improves performance



#### So far...

- FV is a rich representation, extends BOV.
- High dimensional (2 D K S) but allows for linear SVM
- Performance is compatible to state of the art

#### However...

- 2 \* 64 \* 256 \* 8 = 262,144 dimensions
- Almost dense feature
- $\sim$  1MB per image / per modality
- ImageNet Train/Test/Val  $\rightarrow$  1.4 TB (per modality)



# **Compression** [unpublished]

Two options

A) Dimension Reduction

- $\cdot\,$  PCA / Dense Random projections
  - $\cdot \,$  is costly in high dimensional dense space
- · Hash Kernels
  - · Observation: performance decreases rapidly (already by factor 4)
- Can improve learning speed (not necessary)

**B)** Data Compression

- Use same dimensionality
- · But lossy compression up to factor 64 possible.
- 1.4TB  $\rightarrow$  20GB (per modality)
- $\cdot$  Not able to learn in compressed space



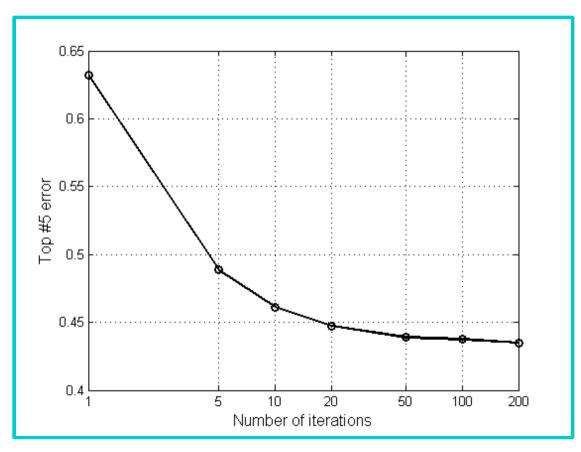
# Stochastic Gradient Descent (SGD)

- Learn Linear SVM in the primal, PEGASOS [Shalev-Shwartz et al. 2007]
- SGD inspired on Pegasos by L. Bottou [http://leon.bottou.org]
- Online algorithm, using one sample at the time
- Our approach is:
  - 1. Load compressed vector
  - 2. Decompress vector
  - 3. SGD Update



# **Stochastic Gradient Descent (2)**

• Performance vs number of passes through data





# **Categorization Pipeline**

- Extract dense sampled features (SIFT, Colour)
- Project (with PCA) to 64D
- Learn codebook with K (256) Gaussians on 1M features
- Learn Compressor (on small set of FV)
- Compute and compress FV
- Learn Linear Classifiers using SGD
- Classify test images



# Categorization Pipeline (2)

Computation time for Learning ImageNET

Intel Xeon double quadcore (16 proc) @ 2.53GHz, 32GB RAM

	CPU	Wall-Clock	
Extract SIFT+Projection	36h	18h	
GMM	minutes		
Learn Compressor	48h	3h	
Extract FV + Compression	96h	6h	
500 SGD Iterations*	960h	66h	
Total (SIFT)	1140h	93h	
1.2M train images training . 1 CDU see nor image / mo			

1.2M train images, training ~ 4 CPU sec per image / modality

\* Without significant loss of performance 500  $\rightarrow$  50 iterations



# Categorization Pipeline (3)

Computation time for Testing on ImageNET

	CPU
Feature Extraction + Projection	2.5h
FV Extraction	30m
Classifiers	12h

- Total SIFT + Col = 30h
- 150K images / 1000 classes

Classification << 1ms per image/class/modality



#### Results

- Pascal VOC 2010 and ImageNet Challenge
- Same approach and settings
- K = 256
- FV + L2 & Power Norm + pyramids
- Compression
  - Except for VOC train/val set
- Linear SVM in primal
  - Number of SGD iterations are different



#### Pascal VOC 2010

- 10K test images / 20 classes / multi-label
- Challenge 1: Only provided train/val data

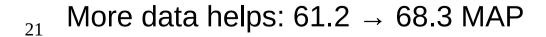
Rank		MAP
1	NUSPSL	73.8
2	NLPR	71.2
3	NEC	70.9
9	XRCE Improved FV	61.2



# Pascal VOC 2010 (2)

- 10K test images / 20 classes / multi-label
- Challenge 2: Any data except test data
- 1M Flickr Group images of 18 classes
  - Tv/monitor and sofa are missing
  - No additional labelling, just the group labels

Rank		MAP	# Classes
4	BIT	26.9	20
3	UCI	51.7	9
2	XRCE Flickr 1M	65.5	18
1	XRCE Optimal Fuse F & V	68.3	20





## ImageNet Challenge

- 150k test images / 1000 classes / single labelled.
  - Flat cost: is the correct label in the top 5?
  - Hierarchical cost: distance to lowest common ancestor

	flat cost	hie cost
NEC-UIUC	0.28191	2.1144
XRCE	0.33649	2.5553
ISIL	0.44558	3.6536
UCI	0.46624	3.6288



## Conclusions

- Improved Fisher Vector for Image Classification
- Linear Classification  $\rightarrow$  scales to larger scale
- More data (Flickr Groups) helps
  - Pascal VOC 2010: 61.2  $\rightarrow$  68.3 MAP

• Using compression  $\rightarrow$  scales to LARGE scale

• Very very fast: training (8s/i) & classifying (2s/i)



# **Questions?**



# L2 Normalization (2)

• Fisher Vector  $G_{\lambda}^{X} = \frac{1}{T} \sum_{t=1}^{T} \nabla_{\lambda} \log u_{\lambda}(x_{t})$   $G_{\lambda}^{X} \approx \nabla_{\lambda} E_{x \sim p} \log u_{\lambda}(x) = \nabla_{\lambda} \int_{x} p(x) \log u_{\lambda}(x) dx.$ 2

$$G_{\lambda}^{X} \approx \omega \nabla_{\lambda} \int_{x} q(x) \log u_{\lambda}(x) dx + (1-\omega) \nabla_{\lambda} \int_{x} u_{\lambda}(x) \log u_{\lambda}(x) dx$$
 3

• GMM Trained with Maximum Likelihood, ie maximize  $E_{x \sim u_{\lambda}} \log u_{\lambda}(x)$ 

$$\nabla_{\lambda} \int_{x} u_{\lambda}(x) \log u_{\lambda}(x) dx = \nabla_{\lambda} E_{x \sim u_{\lambda}} \log u_{\lambda}(x) \approx 0$$

- Fisher Vectors automatically focus on image specific features and discard image independent/background features
- L2 Normalization to remove dependence on  $\,\omega$

